

ISLAMIC UNIVERSITY OF TECHNOLOGY (IUT)  
ORGANISATION OF ISLAMIC COOPERATION (OIC)  
DEPARTMENT OF MECHANICAL AND PRODUCTION ENGINEERING

Semester Final Examination  
Course Code: ME 4203  
Course Title: Dynamics

Summer Semester: 2021 - 2022  
Full Marks: 150  
Time: 3 Hours

There are 06 (Six) questions. Answer all questions. Marks in the Margin indicate full marks. Don't write on this question paper. Symbols carry their usual meanings. Assume reasonable values for any missing data. Programmable calculators are not allowed.

1. (a) Determine the velocity of the 60-lb block A if the two blocks are released from rest and the 40-lb block B moves 2 ft up the incline. The coefficient of kinetic friction between both blocks and the inclined planes is 0.10. Use work energy principle to solve this problem.

(10)  
(CO3)  
(PO2/PO3)

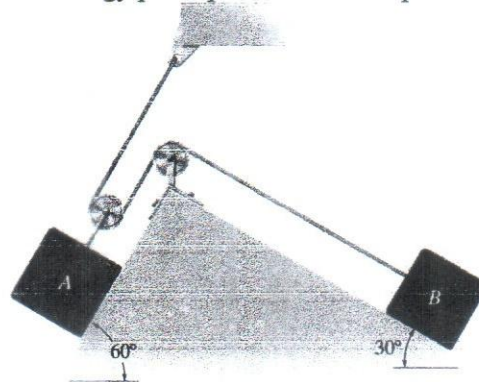


Figure: 1(a)

- (b) The motor M of the hoist shown in Fig. 1(b) lifts the 75-lb crate C so that the acceleration of point P is  $4 \text{ ft/s}^2$ . Determine the power that must be supplied to the motor at the instant P has a velocity of  $2 \text{ ft/s}$ . Neglect the mass of the pulley and cable and take efficiency  $\epsilon = 0.85$ .

(8)  
(CO3)  
(PO2/PO3)

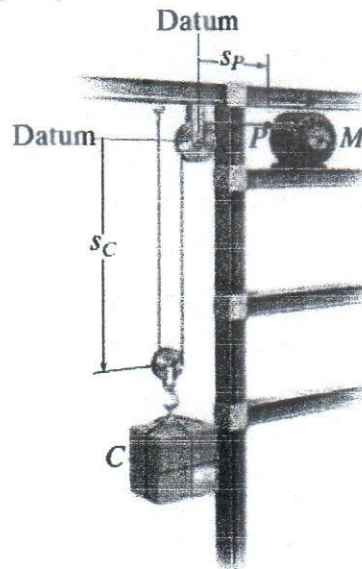


Figure: 1(b)

- (c) The 30-lb block A is placed on top of two nested springs B and C and then pushed down to the position shown. If it is then released, determine the maximum height  $h$  to which it will rise. Use conservation of energy principle to solve this problem.

(7)  
(CO3)  
(PO2/PO3)

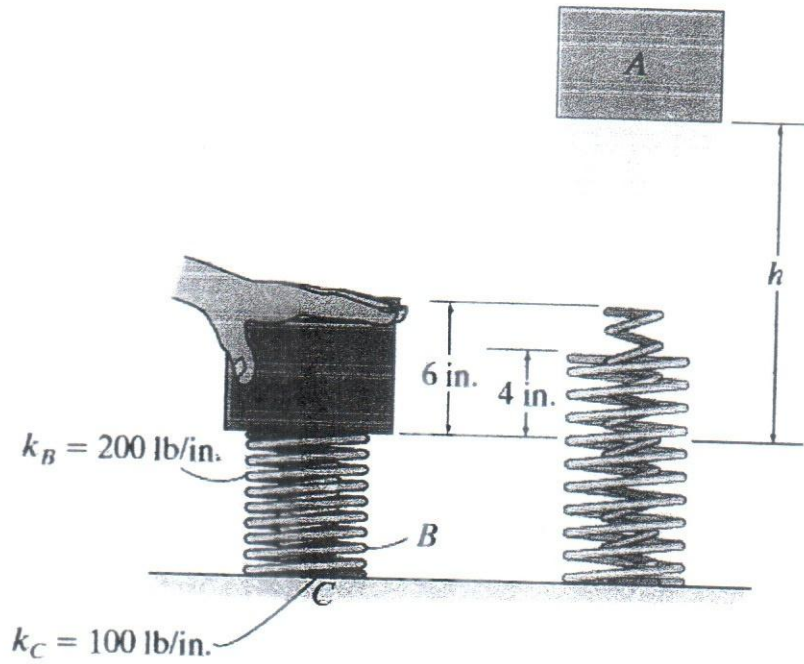


Figure 1(c)

2. (a) Determine the distance the load  $W$  is lifted in using the hoist. The shaft of the motor  $M$  turns with an angular velocity  $\omega = 100(4 + t) \text{ rad/s}$ , where  $t$  is in seconds.

(15)  
(CO1)  
(PO1/PO2)

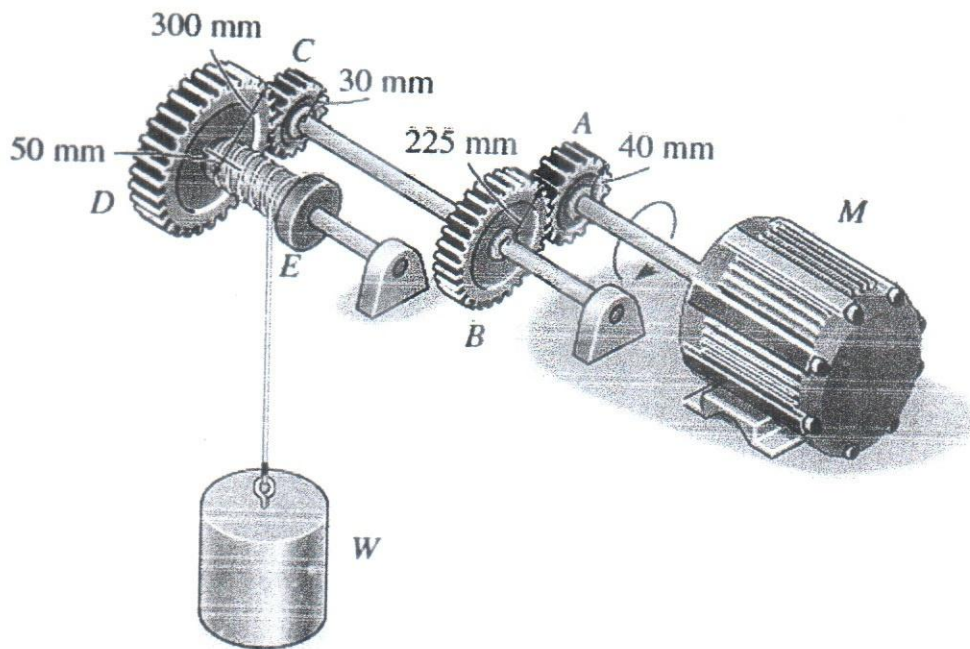


Figure: 2(a)

- (b) Bar AB rotates uniformly about the fixed pin A with a constant angular velocity. Determine the velocity and acceleration of block C, at the instant  $\theta = 60^\circ$ .

(10)  
(CO1)  
(PO1/PO2)

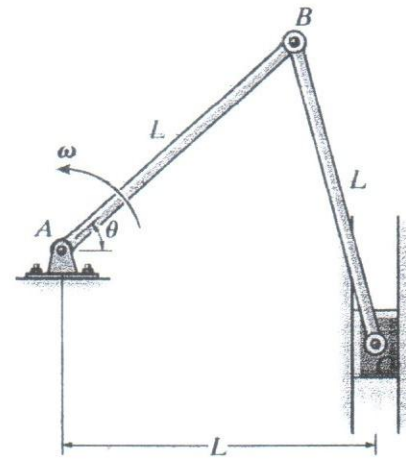


Figure 2(b)

- 3 (a) The motor lifts the 50-kg crate with an acceleration of  $6 \text{ m/s}^2$ . Determine the components of force reaction and the couple moment at the fixed support A.

(15)  
(CO2)  
(PO1/PO2)

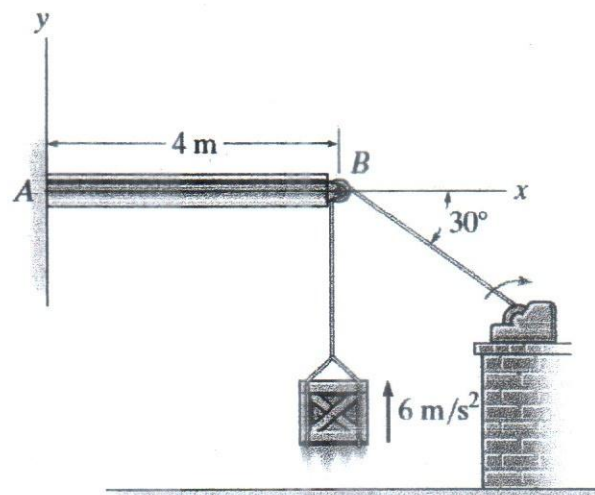


Figure 3(a)

- (b) The conveyor belt delivers each 12-kg crate to the ramp at A such that the crate's speed is  $v_A = 2.5 \text{ m/s}$ , directed down along the ramp. If the coefficient of kinetic friction between each crate and the ramp is 0.3, determine the smallest incline  $\theta$  of the ramp so that the crates will slide off and fall into the cart.

(10)  
(CO2)  
(PO1/PO2)

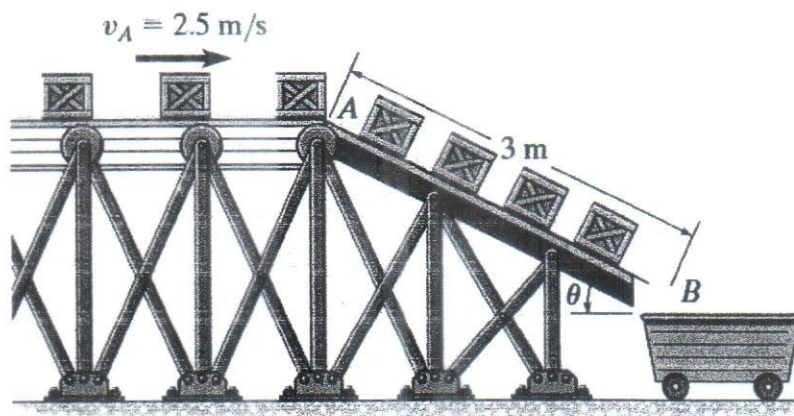


Figure 3(b)

- 4 (a) The power of a bus engine is transmitted using the belt-and pulley arrangement shown. If the engine turns pulley A at  $\omega_A = 60 \text{ rad/s}$ , determine the angular velocities of the generator pulley B and the air-conditioning pulley C. The hub at D is rigidly connected to B and turns with it.

(7)  
(CO1)  
(PO1/PO2)

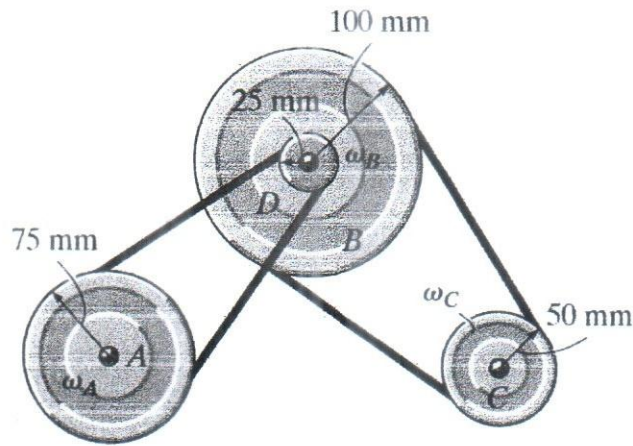


Figure 4(a)

- (b) The 0.5-kg ball is fired from the tube at A with a velocity of  $v = 7 \text{ m/s}$ . If the coefficient of restitution between the ball and the surface is  $e = 0.75$ , determine the height  $h$  after it bounces off the surface.

(8)  
(CO4)  
(PO2/PO3)

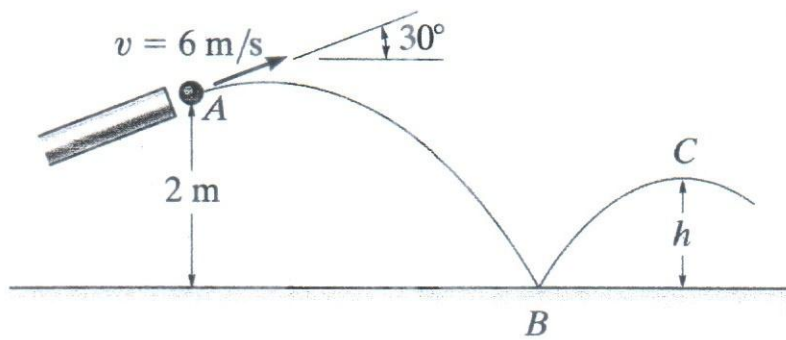


Figure 4(b)

- (c) A ski jumper starts with a horizontal take-off velocity of  $25 \text{ m/s}$  and lands on a straight landing hill inclined at  $30^\circ$ . Determine (a) the time between take-off and landing, (b) the length  $d$  of the jump, (c) the maximum vertical distance between the jumper and the landing hill.

(10)  
(CO1)  
(PO1/PO2)

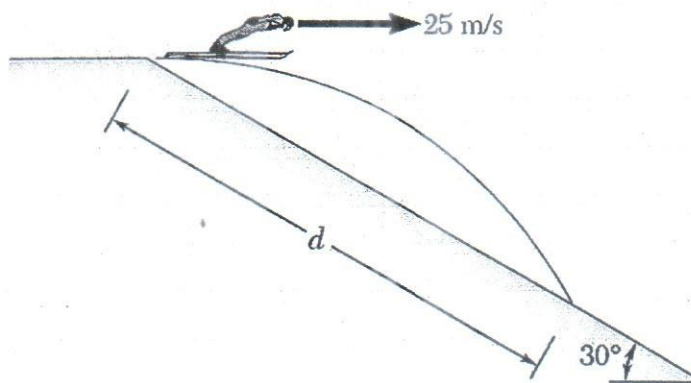


Figure 4(c)

- 5 (a) For the Scotch yoke mechanism shown, the acceleration of point A is defined by the relation:

$$a = -1.08 \sin(kt) - 1.44 \cos(kt),$$

where  $a$  and  $t$  are expressed in  $\text{m/s}^2$  and seconds, respectively, and  $k = 3 \text{ rad/s}$ . Knowing that  $x = 0.16 \text{ m}$  and  $v = 0.36 \text{ m/s}$  when  $t = 0$ , determine the velocity and position of point A when  $t = 0.5 \text{ s}$ .

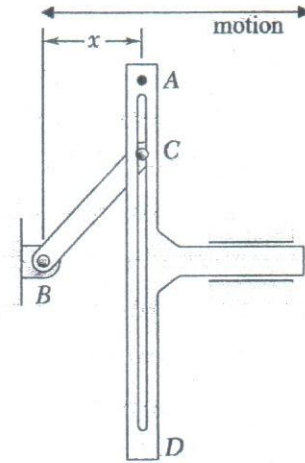


Figure 5(a)

(8)  
(CO1)  
(PO1/PO2)

- (b) The  $v-s$  graph of a cyclist traveling along a straight road is shown.

(i) Construct the  $a-s$  graphs.

(iii) Also, determine the velocity, acceleration and time required for the cyclist to travel a distance  $s = 200 \text{ m}$  (if  $s=0$  when  $t=0$ ).

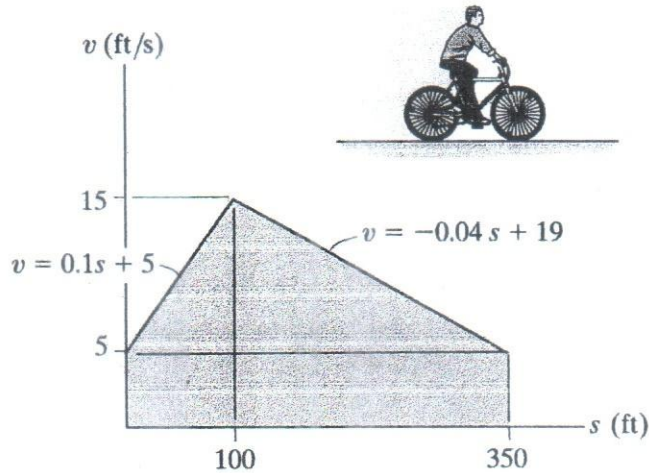


Figure 5(b)

(10)  
(CO2)  
(PO1/PO2)

- (c) The 15-kg block A slides on the surface for which  $\mu_k = 0.5$ . The block has a velocity  $v = 10 \text{ m/s}$  at a distance  $s = 4 \text{ m}$  from the 10-kg block B. If the unstretched spring has a stiffness  $k = 1000 \text{ N/m}$ , determine the maximum compression of the spring due to the collision. Take  $e = 0.55$

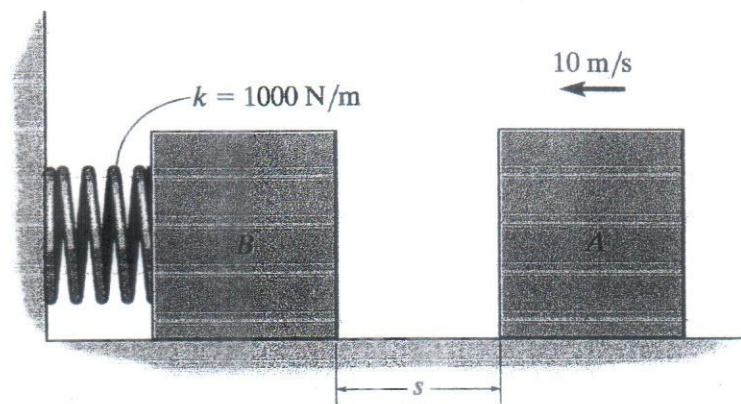
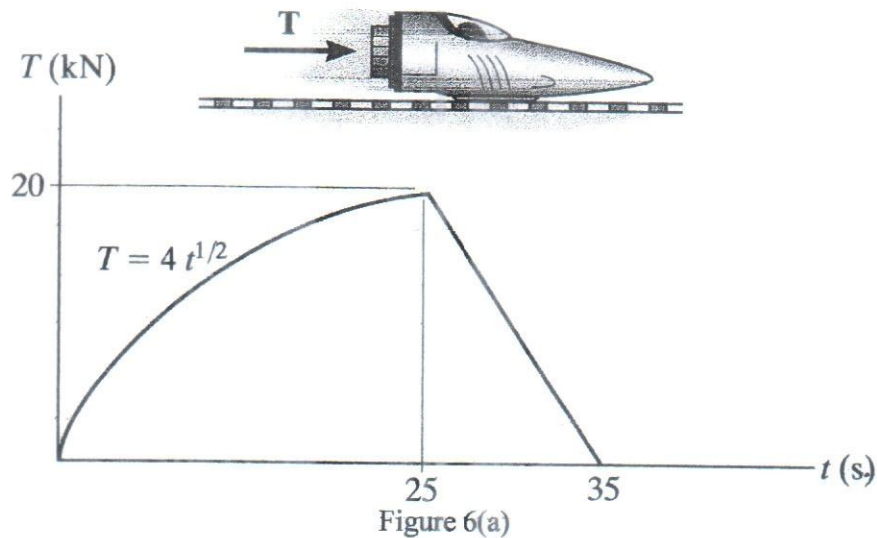


Figure 5(c)

(7)  
(CO4)  
(PO2/PO3)

- 6 (a) The thrust on the 4-Mg rocket sled is shown in the graph.
- Construct the  $v-t$ ,  $a-t$  and  $s-t$  graphs. ( $s = 0$ ,  $v = 0$  when  $t = 0$ )
  - Determine the sled's velocity, acceleration, and travel distance when  $t = 30$  s. Neglect friction. ( $s = 0$ ,  $v = 0$  when  $t = 0$ )

(13)  
(CO4)  
(PO2/PO3)



- (b) The elastic cord has an unstretched length  $l_0 = 5$  ft and a stiffness  $k = 12$  lb/ft. It is attached to a fixed point at  $A$  and a block at  $B$ , which has a weight of 5 lb. [ $g = 32.2$  ft/s<sup>2</sup>]
- If the block is released from rest from the position shown,
- Determine its speed when it reaches point  $C$  after it slides along the smooth guide.
  - Also, calculate the angular momentum of the block about point  $A$ , at any instant after it passes point  $C$ .
  - After leaving the guide, it is launched onto the smooth *horizontal* plane. Determine if the cord becomes unstretched.

(12)  
(CO3)  
(PO2/PO3)

